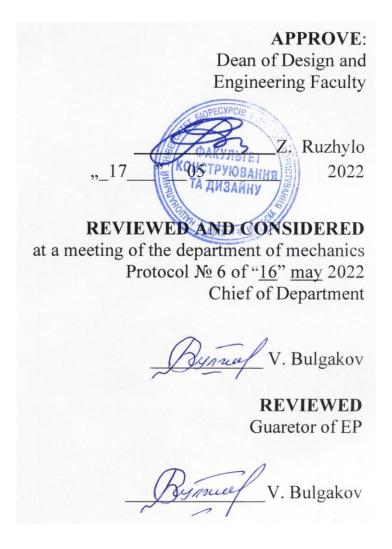
## THE NATIONAL UNIVERSITY OF LIFE AND ENVIRONMENTAL SCIENCES OF UKRAINE

#### **DEPARTMENT OF MECHANICS**



# **Educational - methodical complex** of the discipline

## "Mechanics of materials and constructions"

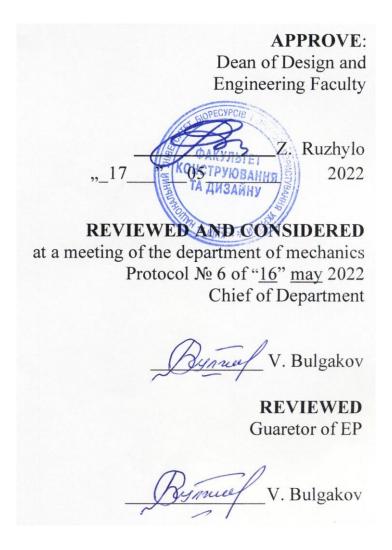
Speciality 133 "Sectoral mechanical engineering"

Faculty Design and Engineering

Developer: A. Kutsenko., Ph. D. of Physical and Mathematical Sciences, Ass. Prof.

## THE NATIONAL UNIVERSITY OF LIFE AND ENVIRONMENTAL SCIENCES OF UKRAINE

#### DEPARTMENT OF MECHANICS



#### WORK PROGRAM OF THE EDUCATIONAL DISCIPLINE

"Mechanics of materials and constructions"

Speciality 133 "Sectoral mechanical engineering

Faculty Design and Engineering

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## 1. Description of the discipline

## Mechanics of materials and constructions

(title)

Areas of knowledge, direction of training,	speciality, education and qualif	ication level				
For ED		chelor				
Knowledge area	13 "Mechanic	13 "Mechanical engineering"				
Speciality	133 "Sectoral mech	nanical engineering"				
Specialization		-				
Disc	cipline characterization					
Type	Obli	gatory				
Total number of hours		210				
Number of credits ECTS		7				
Number of thematic modules		5				
Form of control	test /exc	amination				
Indicators of Year of study (course)	the discipline for daily learning	2				
Semester	3	4				
Lectures	45hours.	30 hours.				
Practical, seminar classes	15 hours.	30 hours.				
Laboratory lesson	15 hours.	15 hours -				
Independent study	15 hours.	<i>30</i> hours.				
Coursework	- hours.	- hours.				
Number of weekly classroom hours for daily learning	5 hours.	5 hours.				

### 2. The purpose and objectives of the course

Purpose is skills of solving problems of Mechanics of materials and structures and laying the basis for the study subjects: "Load-lifting machines ", "Building machinery", "Machine elements".

### **Objectives:**

- Study of the methods of calculation of structures for strength, rigidity and stability;
- Study of the stress-strain state of the beam at tension and compression, at direct shear, at torsion and at bending;

A result of studying of discipline the student should:

#### know:

- The basic hypotheses and methods, which are used of calculations for strength, rigidity and stability of elements of buildings;

- The methods of determining the internal forces factors in statically determinate and statically indeterminate elastic systems;
- The relation among external forces, stresses, and displacements in the different kind of simple and complex deformations.

#### Be able:

- To choose the optimal variants of calculation schemes of the elements of constructions;
- To combine calculations into one whole for the building;
- To choose the rational structural materials and the economic sizes of the cross section of the elements of construction.

## 3. The program and structure of discipline for

- full term daily/distance learning first year students in 3 and 4 semesters 2021/2022 academic year

		Hour numbers											
		Daily learning Distance learn							arning				
Title of thematic	Weeks	Weeks Total Including		ng		Total		In	cludin	g			
modules and themes			1	p	lab	ind	i.s.		1	p	lab	ind	i
modules and themes													
													S
1	2	3	4	5	6	7	8	9	10	11	12	13	1
													4
	The the	ematic mod		. Tensi			Compi	ression	I				
Theme 1. Purpose		6	2		2	2							
and objectives of the	1												
course. The basic													
hypotheses and the													
definitions of the													
mechanics of													
materials and													
constructions.													
Theme 2. The			2										
relation among													
internal forces and													
tensions in case of													
tension or													
compression of the													
bar.													
Theme 3. The	2	6	2	2		2							
method of calculating													
the bar on strength													
Theme 4. The		10	2		2	2							
method of calculating	3												
the bar on rigidity													
Theme 5. The			2										

Г		1			1	1	1	1	1	1	1	_
calculation of bar on												
strength with in terms												
of weight and												
temperature.												
Theme 6. The	4	6	2	2		2						
calculation of												
statically												
indeterminate bars.												
Total for thematic		20	12	4	4	8						
module 1		28	12	4	4	0						
		The the	ematic	modu	le 2.	Torsi	ion					
Theme 1. The	5	8	4		2	2						
geometric												
characterizations of												
the plane cross												
sections.												
Theme 1. The	6	6	2	2		2						
geometric												
characterizations of												
the plane cross												
sections.												
Theme 2. Analysis of	7	8	4		2	2						
Stress and Strain												
Theme 3. The direct	8	6	2	2		2						
shear stresses.												
Theme 4. The	9	8	2		2	2						
definition of torsion.												
Theme 5. The method			2									
of calculating the bar												
on strength and												
rigidity by torsion												
Total for thematic		36	16	4	6	10						
module 2		20	10	·								
	T	The themat	tic mod	dule 3	. Bea	ım be	endin	<u> </u>		1	I	
Theme 1. The	10	6	2	2		2						
equation of Shearing												
force for the												
cantilever and simple												
beams												
Theme 2. The	11	8	2		2	2						
equation of Bending												
moment for the												
cantilever and simple												
beams.												
Theme 3. The			2									
calculation method												
cantilever beam on												
the strength by the												
normal stresses												
Theme 4. The	12	6	2	2		2						
calculation method			-	-		_						
simple beam on the												
pro ocum on the		<u> </u>						ı	1	1	1	

Strength by the		Ī		1	1	1	1	1	1	1	1	1	1	
Theme 5. The definition of supports reaction of curveted beam	strength by the													
definition of supports reaction of curveted beam		12	0	2		2	2							
Theme 5. The building of diagrams of internal efforts for a curveted beam		13	9	2		2	2							
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Theme 5. The building of diagrams of internal efforts for a curveted beam														
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of internal efforts for a curveted beam curvet beam curv				3										
a curveted beam Theme 6. Double   14														
Theme 6. Double integration method   Theme 7.														
Integration method													1	
Theme 7.		14	6	2	2		2							
Verescagin's rule.														
Total for thematic module 3		15	6	2	1	1	2							
Total for Semester 3														
Total for Semester 3			41	17	7	5	12							
The thematic module 4. Methods of definition of beam systems deformations  Theme 1.														
Theme 1. Castigliano's theorem.  Theme 2. The More's						1								
Castigliano's theorem.  Theme 2. The More's   2		c module				tion		am sy	stems de	eforn	natio	ns	- I	
Theme 2. The More's 2 4 2 2 2 2 3 Theme 3. The construction method of the diagram of shear-force and bending-moment for the cantilever frame  Theme 4. The construction method of the diagram of shear-force and bending-moment for the diagram of shear-force and bending-moment for the simple frame.  Theme 5. The definitions of the statically indeterminate constructions.  Theme 6. The application of the Castigliano's theorem to the statically indeterminate constructions.  Theme 7. The three moment's theorem.  Theme 8. The application of the		1	8	2	4		2							
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application of the														
		8	6	2	2		2							
Verescagin's rule to														
	Verescagin's rule to													

.1					1	1	1	1	<u> </u>	1	1	
the statically												
indeterminate												
constructions.												
Total for thematic		52	16	16	4	16						
module 4												
		e thematic			Con	nplex	stres	ses				
Theme 1. Analysis of	9	8	2	2	2	2						
Stress and Strain in												
the case of combined												
bending and tension												
or compression												
Theme 2. Analysis of	10	6	2		2	2						
Stress and Strain in												
the case of a complex												
bending												
Theme 3. Analysis of	11	8	2	4		2						
Stress and Strain in												
the case of the off-												
centre acting of force												
of tension or												
compression												
Theme 4. Analysis of	12	7	2	2	1	2						
Stress and Strain in												
the case of combined												
bending and torsion												
at once												
Theme 5. The	13	8	2	2	2	2						
calculation method of												
column.												
Theme 6. Analysis of	15	8	2	2	2	2						
Stress and Strain in												
the cases of acting												
difference types of												
dynamic loads												
Theme 6. Analysis of	15	8	2	2	2	2						
Stress and Strain in												
the cases of acting												
difference types of												
dynamic loads												
Total for thematic		53	14	14	11	14						
module 5												
Total for Semester 4		105	30	30	15	30						
										<u> </u>		
Total of hours		210	75	30	45	60						

## 4. Lecture themes

№	Theme title	Hour
		numbers
	3 semester	
1	Purpose and objectives of the course. The basic hypotheses and the definitions of	2
	the mechanics of materials and constructions.	
2	The relation among internal forces and tensions in case of tension or compression	2
	of the bar.	
3	The method of calculating the bar on strength.	2
4	The method of calculating the bar on rigidity.	2
5	The calculation of bar on strength with in terms of weight and temperature.	2
6	The calculation of statically indeterminate bars.	2
7	The geometric characterizations of the plane cross sections.	6
8	Analysis of Stress and Strain.	4
9	The direct shear stresses.	2
10	The definition of torsion.	2
11	The method of calculating the bar on strength and rigidity by torsion.	2
12	The equation of Shearing force for the cantilever and simple beams.	2
13	The equation of Bending moment for the cantilever and simple beams.	2
14	The calculation method cantilever beam on the strength by the normal stresses.	2
15	The calculation method simple beam on the strength by the normal stresses.	2
16	The definition of supports reaction of curveted beam	2
17	The building of diagrams of internal efforts for a curveted beam	3
18	The double integration method.	2
19	Verescagin's rule.	2
- 17	4 semester	
1	Castigliano's theorem.	2
2	The More's integral.	2
3	The construction method of the diagrams of shear-force and bending-moment for	2
	the cantilever frame	2
4	The construction method of the diagrams of shear-force and bending-moment for	2
	the simple frame.	_
5	The definitions of the statically indeterminate constructions.	2
6	The application of the Castigliano's theorem to the statically indeterminate	2
	constructions.	2
7	The three moment's theorem.	2
8	The application of the Verescagin's rule to the statically indeterminate	2
	constructions.	2
9	Analysis of Stress and Strain in the case of combined bending and tension or	2
	compression	2
10	Analysis of Stress and Strain in the case of a complex bending	2
11	Analysis of Stress and Strain in the case of the off-centre acting of force of	2
11	tension or compression	2
12	Analysis of Stress and Strain in the case of combined bending and torsion at once	2
13	The calculation method of column.	2
14	Analysis of Stress and Strain in the cases of acting difference types of dynamic	4
1.7	loads	7
1	1000	

# 5. Practical, seminar work themes

№	Theme title	Hour numbers
	3 semester	
1	The construction of diagrams of normal force and normal stress for the bar	2
2	The calculation of the bar on strength and rigidity.	2
3	The geometric characterizations of the plane cross sections.	3
4	The method of calculating the bar on strength and rigidity by torsion.	2
5	The construction of diagram of Shearing force for the cantilever and simple beams.	2
6	The construction of diagram of Bending moment for the cantilever and simple	2
	beams.	
7	The calculation of beams on the strength by the normal stresses.	2
	4 semester	
1	The calculation of beam strain by Verescagin's rule and by the Castigliano's	6
	theorem.	
2	The construction of the diagrams of shear-force and bending-moment for the	6
	difference types of frame	
3	The curveted beam.	4
4	The calculation of the statically indeterminate constructions by difference	4
	methods.	
5	The calculation of beam in the case of at one time action of bending and torsion.	6
6	The calculation of column.	4

# 6. Laboratory work themes

№	Theme title	Hour
		numbers
	3 semester	
1	The determination of mechanical characteristics of "soft" steel in tension	4
2	The experimental calculation of the modulus of elasticity for steel	4
3	The experimental study of wood by compression	4
4	The investigation of the stress state by strain gauge	3
	4 semester	
1	The experimental study of steel by compression	2
2	The determination of the modulus of elasticity for plastics	2
3	The experimental determination of Poisson's ratio for steel.	2
4	The study of the resistance of various structural materials on shear.	2
5	The study of the conceptions of building of diagrams of internal forces for beams	4
	by the mathematical modeling method	
6	The calculation statically indeterminate beams by the mathematical modeling	1
	method	
7.	The study of the stress state of the frame by the mathematical modeling method.	2

# 7. Test questions and test sets for determine of the level assimilation of knowledge by students.

**Question 1.** 

	The basic objects of subject of mechanics of materials are:
1.	Bar, rivet, beam
2.	Bar, shaft, beam
3.	Squared beam, shell, array
4.	Screw, key, shaft

Question 2.

	The basic problem of mechanics of materials consists in:
1.	determining sizes of detail from conditions of durability
2.	determining mechanics properties of material
3.	calculation stresses by bending
4.	determining sizes of detail from conditions of durability and rigidity

**Question 3.** 

	Give determination of deformation
1.	displacement and torsion
2.	change of form and sizes of detail
3.	relative displacement of cross-sections of detail under bending
4.	relative displacement of cross-sections of detail under shear

Question 4.

	Stresses are
1.	external force, which loads on the surface of detail
2.	internal force, which loads on unit of area
3.	twisting moment, which shaft loads
4.	bending moment, which beam loads

Question 5.

	Give the list of simple deformations
1.	direct shear, torsion, displacement
2.	tension (compression), direct shear, torsion, bending
3.	displacement, bending, direct shear
4.	torsion, displacement, bending, direct shear

**Question 6.** 

	Hooke's Law by extension has form:
1.	$\sigma = \mu \cdot E$
2.	$\tau = j \cdot E$
3.	$\sigma = \varepsilon \cdot E$

4.	$\sigma = M$	
	$\sigma = \frac{1}{W_y}$	

**Question 7.** 

	For the plastic materials the legitimate stresses determine by formula:
1.	$[\sigma] = \frac{\sigma_{np}}{k_{np}}$
2.	$[\sigma] = \frac{\sigma_{n\pi}}{k_{n\pi}}$
3.	$[\sigma] = \frac{\sigma_{MU}}{k_{MU}}$
4.	$[\sigma] = \frac{\sigma_{py\ddot{u}H}}{k_{py\ddot{u}H}}$

**Question 8.** 

	The bar of constant cross section must be loaded by, this bar will compressed
1.	twisting moment
2.	bending moment
3.	shearing force
4.	normal force
5.	uniformly distributed loads

**Question 9.** 

	For the fragile materials the legitimate stresses determine by formula:
1.	$\left[\sigma\right] = \frac{\sigma_{np}}{k_{np}}$
2.	$[\sigma] = \frac{\sigma_{n\pi}}{k_{n\pi}}$
3.	$[\sigma] = \frac{\sigma_{MU}}{k_{MU}}$
4.	$[\sigma] = \frac{\sigma_{py\ddot{u}H}}{k_{py\ddot{u}H}}$

Question 10.

<u> </u>	Question 10.	
	What is bar?	
1	Squared beam which has one size is biggest than other two and works on	
1.	tension or compression	
2	Squared beam which has one size is biggest than other two and works on	
2.	torsion	
3.	Squared beam which has one size is biggest than other two and works on	
	bending	
4.	The element of construction, which is limited two parallel planes and it has	
	one size is biggest than other two	

**Question 11.** 

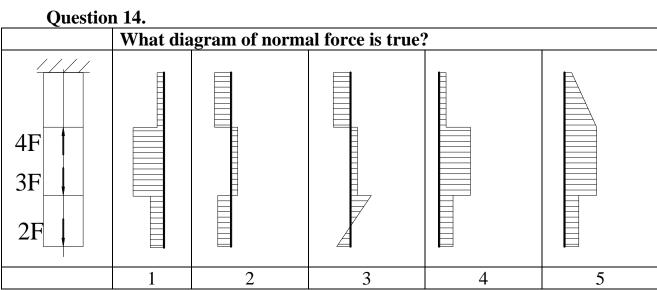
	The condition of durability under tension or compression is
1.	$\sigma_{\max} = \frac{N_{\max}}{A} \le [\sigma]$
2.	$\tau_{\text{max}} = \frac{N_{\text{max}}}{A} \le [\tau]$
3.	$\sigma_{\max} = \frac{N_{\max}}{A} \ge [\sigma]$
4.	$\tau_{\max} = \frac{N_{\max}}{A} \ge [\tau]$

**Question 12.** 

	The condition of rigidity under tension or compression is
1.	$\sigma_{\max} = \frac{N_{\max}}{A} \le [\sigma]$
2.	$\tau_{\max} = \frac{N_{\max}}{A} \le [\tau]$
3.	$\sigma_{\max} = \frac{N_{\max}}{A} \ge [\sigma]$
4.	$\tau_{\max} = \frac{N_{\max}}{A} \ge [\tau]$
5.	$\left[\Delta l\right] \le \Delta l = \sum \int \frac{N(x)}{EA(x)}$
6.	$\Delta l = \sum \int \frac{N(x)dx}{EA(x)} \le \left[\Delta l\right]$

**Question 13.** 

 Question 10.
The isotropic material is called:
Material, points of which have equal properties
Material, all points of which have equal properties in certain direction
Material, all points of which have equal properties in arbitrary direction
Material, all points of which have equal properties in cross direction



**Question 15.** 

	The cross section of bar must satisfy to conditions of durability and rigidity. From the condition of durability the diameter of bar must be equal 30 mm and from condition of rigidity is 50 mm. What size it follows to accept the diameter of bar?
1.	d=30 mm
2.	d=50 mm
3.	d=40 mm
4.	d=80 mm
5.	d=60 mm

**Ouestion 16.** 

Question 10.	
	What does exist connection between the modules $G$ and $E$ ?
1.	$G = \frac{E}{(1+\mu)}$
2.	$G = \frac{E}{2(1+\mu)}$
3.	$G = \frac{2E}{(1+\mu)}$
4.	$G = \frac{E}{3(1+\mu)}$

# Question 17.

	What is loads does create deformation of torsion?
1.	twisting moment
2.	bending moment
3.	shearing force
4.	normal force
5.	uniformly distributed loads

## **Question 18.**

<b>Q</b>	The condition of durability of riveting connection looks like on a cut:
	$\tau_{3p} = \frac{N}{mn\pi d^2} \le [\tau]$
	$\tau_{3p} = \frac{N}{mn\frac{\pi d^2}{16}} \le [\tau]$
	$\tau_{3p} = \frac{N}{mn\frac{\pi d^2}{4}} \le [\tau]$
	$\tau_{3p} = \frac{N}{\frac{\pi d^2}{4}} \le [\tau]$

# Question 19.

	What is shaft?
1.	Squared beam which has one size is biggest than other two and works on
	tension or compression
2.	Squared beam which has one size is biggest than other two and works on
2.	torsion
3.	Squared beam which has one size is biggest than other two and works on
	bending
4.	The element of construction, which is limited two parallel planes and it has
	one size is biggest than other two

# Question 20.

	Hooke's Law of torsion has form:
1.	$\sigma = EF$
2.	$\sigma = G\gamma$
3.	au = EF
4.	au=Earepsilon
5.	$\sigma = El$

6.  $\tau = G\gamma$ 

**Question 21.** 

	Question 21.	
	The condition of durability for shaft at twisting is:	
1.	$\tau_{\max} = \frac{M_{\kappa}}{W_{\chi}} \le [\tau]$	
2.	$\tau_{\text{max}} = \frac{M_{\kappa}}{W_{y}} \le [\tau]$	
3.	$\sigma_{\max} = \frac{M_{\kappa}}{W_{\chi}} \le [\sigma]$	
4.	$\tau_{\max} = \frac{M_{\kappa}}{W_{\rho}} \le [\tau]$	

**Question 22.** 

	The angle of twist is calculate by formula:
1.	$\varphi = \frac{GI_{\rho}}{M_{\kappa}l}$
2.	$\varphi = \frac{M_{\kappa}l}{GI_{\rho}}$
3.	$\varphi = \frac{G}{M_{\kappa}l}$
4.	$\varphi = \frac{P}{GI_{\rho}}$

**Question 23.** 

~~~	Question 201	
	If diameter round transversal a cut to increase in 2 times, the axial	
	moment of inertia will be increased in:	
1.	2 times	
2.	4 times	
3.	8 times	
4.	16 times	
5.	32 times	

**Question 24.** 

€ 3.2	Question 21.	
	The condition of rigidity for shaft at twisting is:	
1.	$\varphi_{\text{max}} = \frac{GI_{\rho}}{M_{\kappa}l} \le [\varphi]$	
2.	$\varphi_{\max} = \frac{M_{\kappa}l}{GI_{\rho}} \le [\varphi]$	
3.	$\varphi_{\min} = \frac{G}{M_{\kappa}l} \le [\varphi]$	
4.	$\varphi_{\min} = \frac{P}{GI_{\rho}} \le [\varphi]$	

Question 25.

<u> </u>	
	Why the polar moment of inertia for a circle is equal?
1.	$I_{\rho} = \frac{\pi d^2}{64}$
2.	$I_{\rho} = \frac{\pi d^3}{32}$
3.	$I_{\rho} = \frac{\pi d^4}{32}$
4.	$I_{\rho} = \frac{2\pi d}{64}$

**Question 26.** 

	Per unity of moments of inertia is:
1.	$m^4$
2.	$N \cdot m$
3.	$m \cdot c^2$
4.	$m^3$
5.	$m \cdot c$

Question 27.

Qui	estion 27.
	The coordinates of centroid are calculate by formula:
1.	$x_c = \frac{\sum I_y}{\sum I_x}, \ y_c = \frac{\sum I_x}{\sum I_y}$
2.	$x_c = \frac{\sum S_y}{\sum S_x}, \ y_c = \frac{\sum S_x}{\sum S_y}$

3.	$x_c = \frac{\sum S_x}{\sum A}, \ y_c = \frac{\sum S_y}{\sum A};$
	<u>ΣA</u> <u>Σ</u> A
4.	$x_c = \frac{\sum S_y}{\sum A}, \ y_c = \frac{\sum S_x}{\sum A}$
5.	$x_c = \frac{\sum S_x + S_y}{\sum A}, \ y_c = \frac{\sum S_x - S_y}{\sum A}$

# **Question 28.**

	If a rectangle has a height of $h=6$ cm, and width of $b=4$ cm, so maximal axial moment of inertia about central axes of such rectangular cross section is equal:				
1.	$20 \text{ cm}^4$				
2.	36 cm <sup>4</sup>				
3.	42 cm <sup>4</sup>				
4.	54 cm <sup>4</sup>				
5.	72 cm <sup>4</sup>				

# **Question 29.**

	What is beam?		
1.	Squared beam which has one size is biggest than other two and works on		
	tension or compression		
2.	Squared beam which has one size is biggest than other two and works on		
۷.	torsion		
3.	Squared beam which has one size is biggest than other two and works on		
	bending		
4.	The element of construction, which is limited two parallel planes and it has		
	one size is biggest than other two		

# Question 30.

	How many reactions must be in point of beam, which simply
	supported?
1.	two
2.	three
3.	four
4.	five

## **Question 31.**

Contract of the				
	How many reactions must be in point of beam, which rigidly fixed?			
1.	one			
2.	two			
3.	three			
4.	four			

5. five

**Ouestion 32.** 

<u> </u>	Question 32.				
	The maximal value of normal stresses at bending of beam is calculated by formula?				
1.	$\sigma_{\text{max}} = \frac{M_{\text{max}}}{W_y}$				
2.	$\tau_{\text{max}} = \frac{M_{\text{min}}}{W_y}$				
3.	$\sigma_{\max} = \frac{M_{\min}}{W_{x}}$				
4.	$\tau_{\text{max}} = \frac{M_{\text{max}}}{W_{\rho}}$				

Question 33.

~ ~	₹ # 0 × 0 × 0 × 0 × 0 × 0 × 0 × 0 × 0 × 0		
	What bendings do arise up in hinge support?		
1.	maximal		
2.	zero		
3.	minimal		
4.	unity		

**Question 34.** 

	Question of the			
	What is a formula of calculation shearing stresses at the bend of			
	beam?			
1.	$\tau = \frac{Q_x S(z)}{I_y b}$			
2.	$\sigma = \frac{M_x S(z)}{I_y b}$			
3.	$M = \frac{Q_x S(z)}{I_y}$			
4.	$\tau = \frac{I_y b}{Q_x S(z)}$			

**Question 35.** 

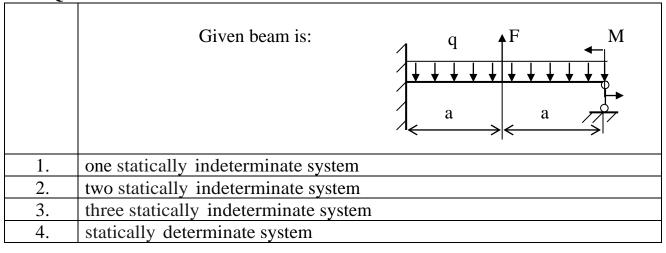
The differential equation of the deflection curve of a beam has form:

1.	$EI\frac{d^3y}{dx^3} = M_x$
2.	$EI\frac{dy}{dx} = M_{x}$
3.	$EI\frac{d^3y}{dx^2dz} = M_x$
4.	$EI\frac{d^2y}{dx^2} = M_x$
5.	$EI\frac{d^2y}{dxdz} = M_x$

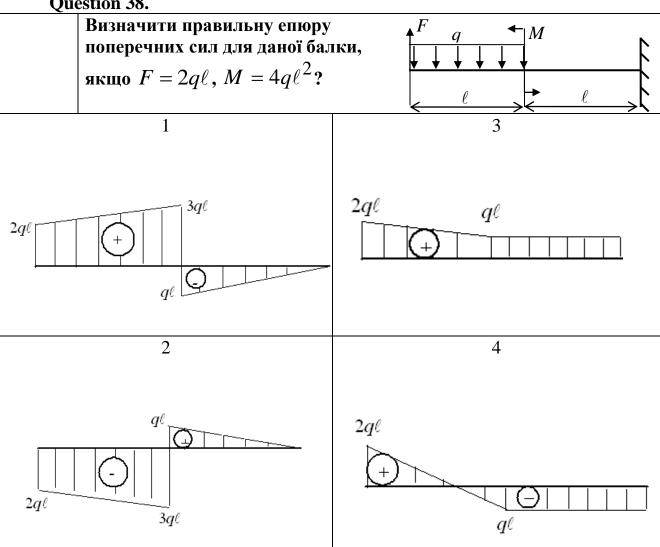
Question 36.

	What is basic in Verescagin's rule?		
1.	Integration of diagrams		
2.	Differentiation of diagrams		
3.	Multiplying of diagrams		
4.	Deduction of diagrams		
5.	Division of diagrams		

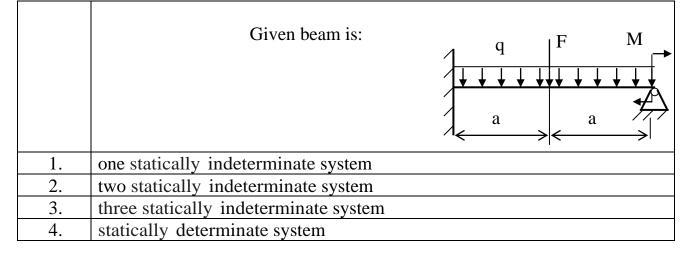
**Question 37.** 



## Question 38.



Question 39.



**Question 40.** 

<u> </u>	CSUON 40.
	Given frame is:
1.	one statically indeterminate system
2.	two statically indeterminate system
3.	three statically indeterminate system
4.	statically determinate system

#### 8. Education methods.

- 1) Verbal:
  - -Lectures;
- 2) Visual:
  - -Slides, video, visual material (perts, charts, stands).
- 3) Practical:
  - Training and factory practices;
  - Independent work.

#### 9. Forms control.

- control work;
- module control work;
- test;
- examination.
- **10.Distribution points that receive students.** The student evaluation done in accordance with the provision «Про екзамени та заліки у НУБіП України» від 20.02.2015 р. протокол № 6 з табл. 1.

National estimation	Estimation ECTS	<b>Definition of estimation ECTS</b>	Student rating, points
Excellent	A	<b>EXCELLENT</b> - excellent performance with few errors	90 – 100
Good	В	<b>VERY GOOD -</b> higher middle level with some mistakes	82 – 89

	C	GOOD - generally correct work with a number of few gross errors	74 – 81
Satisfactory	D	Satisfactory - not bad but many drawbacks	64 – 73
Satisfactory	E	<b>ENOUGH -</b> implementation satisfies minimum criteria	60 – 63
Unsatisfactorily	FX	UNSATISFACTORILY – need to work before get credit (positive evaluation)	35 – 59
	F	UNSATISFACTORILY – serious further work is needed	01 – 34

The student rating (listener) of the discipline  $\mathbf{R}_{\text{ДИС}}$  (up to 100 points) to determine as sum rating received at attestation  $\mathbf{R}_{\text{AT}}$  (up to 30 points) and the student (listener) rating for educational work  $\mathbf{R}_{\text{HP}}$  (up to 70 points):

#### 10. Methodical provision

- Textbooks and manuals;
- Guidelineses for laboratory works;
- Stands, posters;
- Equipment and various device.

#### 11. Recommended Literature

#### - Main:

- 1. Mechanics of materials: Theory and Problems. Maual / A. Kutsenko, M. Bondar, V. Pryshliak. Nizhyn: "Vidavnitstvo "Aspekt-Poligraf", 2016. 360 p.
- 2. Mechanics of Materials and structures. Tutorial / M.G. Chausov, V.M. Shvayko, A.P. Pylypenko, M.M. Bondar, V.B. Berezin; edited by M.G. Chausov. K: CP "Komprint", 2015. 259 p.
- 3. Mechanics of materials: Theory and Problems. Textbook / A. Kutsenko, M. Bondar, V. Pryshliak. –Kyiv, 2018. 598 p.

#### - ancillary:

1. Beer F.P., Johnston E.R., et. al.: Mechanics of materials., 8th Edition, Graw – Hill. Inc., 2020. – 896 p.

- 2. Bansal R. K.: Strength of Materials., 5th Edition, Laxmi Publications., 2014. 1106 p.
- 3. John C.J., Ross C.T.F.: Strength of Materials and Structures. Arnold. 719 p.
- 4. Dupen B.: Applied Strength of Materials for Engineering Technology. Indiana University Purdue University Fort Wayne., 2014. 151 p.
- 5. R.K. Rajput. A Textbook of Strength of Materials (Mechanics of Solids) in SI Units., 2018 1312 p.
- 6. Sohor M.: Strength\_of\_materials., 2011. 210 p.
- 7. Sharma S.C.: Strength\_of\_materials. Web Course. <a href="http://www.nptel.iitm.ac.in/courses/Webcourse-contents/IITROORKEE/strength%20of%20materials/homepage.htm">http://www.nptel.iitm.ac.in/courses/Webcourse-contents/IITROORKEE/strength%20of%20materials/homepage.htm</a>

#### 12. Information Resources

https://www.youtube.com/

https://uk.wikipedia.org/wiki/

http://www.gntb.gov.ua/ua/

http://www.tib.uni-hannover.de/

http://www.bookshop.ua/