THE NATIONAL UNIVERSITY OF LIFE AND ENVIRONMENTAL SCIENCES OF UKRAINE

## DEPARTMENT OF MECHANICS


"CONFIRMED"
Dean of Design and Engineering Faculty Zinoviy RUZHYLO "16" May 2023
"APPROVED" at a meeting of the department of mechanics Protocol № 9 of " 25 " April 2023


REVIEWED Program Coordinator


Yevhen DMYTRENKO

## WORK PROGRAM OF THE EDUCATIONAL DISCIPLINE

## "Mechanics of materials and constructions"

Specialty
Educational program
Faculty
Developer:

192 "Building and civil engineering"
Building and civil engineering
Design and Engineering
Anastasia KUTSENKO., Ph. D. of Physical and Mathematical Sciences, Assoc. Prof.

## 1. Description of the discipline

Mechanics of materials and constructions
(title)

| Areas of knowledge, direction of training, speciality, education and qualification level |  |  |
| :---: | :---: | :---: |
| For ED | Bachelor |  |
| Knowledge area | 19 "Architecture and construction" |  |
| Speciality | 192 " Building and engineering of the city" |  |
| Specialization | - |  |
| Discipline characterization |  |  |
| Type | Obligatory |  |
| Total number of hours | 165 |  |
| Number of credits ECTS | 5,5 |  |
| Number of thematic modules | 5 |  |
| Form of control | test /examination |  |
| Indicators of the discipline for daily learning |  |  |
| Year of study (course) | 2 |  |
| Semester | 3 | 4 |
| Lectures | 30 hours. | 30 hours. |
| Practical, seminar classes | 30 hours. | 30 hours. |
| Laboratory lesson | -. | - |
| Independent study | 30 hours. | 15 hours. |
| Coursework | 30 hours. |  |
| Number of weekly classroom hours for daily learning | 4 hours. | 4 hours. |

## 2. The purpose and objectives of the course

Purpose is skills of solving problems of Mechanics of materials and structures and laying the basis for the study subjects: "Structural mechanics", "Concrete and masonry structures", "Metal and wooden structures".

## Objectives:

- Study of the methods of calculation of structures for strength, rigidity and stability;
- Study of the stress-strain state of the beam at tension and compression, at direct shear, at torsion and at bending;

A result of studying of discipline the student should:

## know:

- The basic hypotheses and methods, which are used of calculations for strength, rigidity and stability of elements of buildings;
- The methods of determining the internal forces factors in statically determinate and statically indeterminate elastic systems;
- The relation among external forces and stresses and displacements in the different kind of simple and complex deformations.


## be able:

To choose the optimal variants of calculation schemes of the elements of constructions;

- To combine calculations into one whole for the building;
- To choose the rational structural materials and the economic sizes of the cross section of the elements of construction.

The discipline provides the following competencies:

- integral competencies (IC):

IC. It is the ability to solve complex specialized problems of construction and civil engineering in the learning process, which involves the application of a complex of theories and methods for determining the strength, stability, deformation, modeling, strengthening of building structures; further safe operation, reconstruction, construction and installation of buildings and engineering structures; application of automated design systems in the branch of construction.

- general competencies (GC):

GC1 - The ability to think abstractly, analyze and synthesize.
GC2 - The knowledge and understanding of the subject area and professional activity.
GC6 - The ability to search, to process and to analyze information from various sources.
GC7 - The interpersonal skills.
special competencies (SC):
SC1 - The ability to use conceptual scientific and practical knowledge in mathematics, chemistry and physics to solve complex practical problems in the branch of construction and civil engineering.
SC7 - The ability to take responsibility for making and making decisions in the branch of architecture and construction in unpredictable work conditions.

## Program results of learning(PRL):

PRL2 - The participate in research and development in the branch of architecture and construction.
PRL7 - The collect, the interpret and an apply data, including through the search, processing and analysis of information from various sources.
PRL11 - The avaluation of compliance of projects with design principles urban areas and infrastructure facilities and urban economy.

## 3. The program and structure of discipline for

- full term daily/distance learning first year students in 3 and 4 semesters 2023/2024 academic year

| Title of thematic modules and themes | Hour numbers |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Daily learning |  |  |  |  |  |  | Distance learning |  |  |  |  |  |
|  | Weeks | Total | Including |  |  |  |  | Total | Including |  |  |  |  |
|  |  |  | 1 | p | lab | ind | i.s. |  | 1 | p | la | $\begin{gathered} \text { in } \\ \text { d } \end{gathered}$ | i.s. |
| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 |
| The thematic module 1. Tension and Compression |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Theme 1. Purpose and objectives of the course. The basic hypotheses and the definitions of the mechanics of materials and constructions. | 1 | 2 | 2 |  |  |  |  |  |  |  |  |  |  |
|  | 2 | 6 | 2 | 2 |  | 2 |  |  |  |  |  |  |  |
| Theme 3. The method of calculating the bar on strength | 3 | 8 | 2 | 4 |  | 2 |  |  |  |  |  |  |  |
| Theme 4. The method of calculating the bar on rigidity | 4 | 6 | 2 | 2 |  | 2 |  |  |  |  |  |  |  |
| Theme 5. The first moment of area | 5 | 8 | 2 | 2 |  | 4 |  |  |  |  |  |  |  |
| Total for thematic module 1 |  | 30 | 10 | 10 |  | 10 |  |  |  |  |  |  |  |
| The thematic module 2. Torsion |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Theme 1. The geometric characterizations of the plane cross sections. | 6 | 6 | 2 | 2 |  | 2 |  |  |  |  |  |  |  |
| Theme 2. The geometric characterizations of the plane cross sections. | 7 | 4 | 2 | 2 |  |  |  |  |  |  |  |  |  |


| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 1 <br> 4 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Theme 3. The direct <br> shear stresses. | 8 | 6 | 2 | 2 |  | 2 |  |  |  |  |  |  |  |
| Theme 4. The <br> definition of torsion. | 9 | 6 | 2 | 2 |  | 2 |  |  |  |  |  |  |  |
| Theme 5. The method <br> of calculating the bar <br> on strength and <br> rigidity by torsion | 10 | 8 | 2 | 2 |  | 4 |  |  |  |  |  |  |  |
| Total for thematic <br> module 2 |  | 30 | 10 | 10 |  | 10 |  |  |  |  |  |  |  |

The thematic module 3. Beam bending



| Theme 4. Analysis of <br> Stress and Strain in <br> the case of the action <br> of tension and bending <br> at one time | 12 | 6 | 2 |  | 2 | 2 |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Theme 5. Analysis of <br> Stress and Strain in <br> the case of the action <br> of two bending <br> moments at one time, <br> which acting in <br> perpendicular planes | 13 | 6 | 2 |  | 2 | 2 |  |  |  |  |  |  |  |
| Theme 6. The <br> calculation method of <br> column. | 14 | 6 | 2 |  | 2 | 2 |  |  |  |  |  |  |  |
| Theme 7. Analysis of <br> Stress and Strain in <br> the case of the action <br> of bending and <br> torsion at one time. | 15 | 6 | 2 |  | 2 |  |  |  |  |  |  |  |  |
| Total for thematic <br> module 5 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Total for Semester 4 |  | 75 | 30 |  | 30 | 15 |  |  |  |  |  |  |  |

## 4. Lecture themes

| № | Theme title | Hour <br> numbers |  |  |
| :---: | :--- | :---: | :---: | :---: |
| 3 |  |  |  |  |
| 1 | Purpose and objectives of the course. The basic hypotheses and the definitions of <br> the mechanics of materials and constructions. | 2 |  |  |
| 2 | The relation among internal forces and tensions in case of tension or compression <br> of the bar. | 2 |  |  |
| 3 | The method of calculating the bar on strength. | 2 |  |  |
| 4 | The method of calculating the bar on rigidity. | 2 |  |  |
| 5 | The geometric characterizations of the plane cross sections. | 4 |  |  |
| 6 | The geometric characterizations of the plane cross sections. | 2 |  |  |
| 7 | Analysis of Stress and Strain. | 2 |  |  |
| 8 | The direct shear stresses. | 2 |  |  |
| 9 | The definition of torsion. | 2 |  |  |
| 10 | The method of calculating the bar on strength and rigidity by torsion. | 2 |  |  |
| 11 | The equation of Shearing force for the cantilever and simple beams. | 2 |  |  |
| 12 | The equation of Bending moment for the cantilever and simple beams. | 2 |  |  |
| 13 | The calculation method cantilever beam on the strength by the normal stresses. | 2 |  |  |
| 14 | The calculation method simple beam on the strength by the normal stresses. | 2 |  |  |
| 4 semester |  |  |  | 2 |
| 1 | Verescagin's rule. | 2 |  |  |
| 2 | The method of initial parameters. | 2 |  |  |
| 3 | Castigliano's theorem. | 2 |  |  |
| 4 | The construction method of the diagrams of shear-force and bending-moment for | 2 |  |  |


|  | the cantilever frame |  |
| :---: | :--- | :---: |
| 5 | The construction method of the diagrams of shear-force and bending-moment for <br> the simple frame. | 2 |
| 6 | The curveted beam. | 2 |
| 7 | The definitions of the statically indeterminate constructions. | 2 |
| 8 | The application of the Castigliano's theorem to the statically indeterminate <br> constructions. | 2 |
| 9 | The three moment's theorem. | 2 |
| 10 | The application of the Verescagin's rule to the statically indeterminate <br> constructions. | 2 |
| 11 | Analysis of Stress and Strain in the case of the action of compression and <br> bending at one time | 2 |
| 12 | Analysis of Stress and Strain in the case of the action of tension and bending at <br> one time | 2 |
| 13 | Analysis of Stress and Strain in the case of the action of two bending moments at <br> one time, which acting in perpendicular planes | 2 |
| 14 | The calculation method of column. <br> 15Analysis of Stress and Strain in the case of the action of bending and torsion at <br> one time. | 2 |

## 5. Practical, seminar work themes

| № | Theme title | Hour numbers |
| :---: | :---: | :---: |
| 3 semester |  |  |
| 1 | The calculation of the bar on strength. | 2 |
| 2 | The calculation of the bar on rigidity. | 2 |
| 3 | The geometric characterizations of the plane cross sections. | 6 |
| 4 | The direct shear stresses. | 2 |
| 5 |  | 2 |
| 6 | The method of calculating the bar on strength and rigidity by torsion. | 2 |
| 7 | The construction of diagram of Shearing force for the cantilever and simple beams. | 2 |
| 8 | The construction of diagram of Bending moment for the cantilever and simple beams. | 2 |
| 9 | The calculation of cantilever beam on the strength by the normal stresses. | 4 |
| 10 | The calculation of simple beam on the strength by the normal stresses. | 4 |
| 4 semester |  |  |
| 1 | The calculation of beam strain by Verescagin's rule. | 2 |
| 2 | The calculation of beam strain by the method of initial parameters. | 2 |
| 3 | The calculation of beam strain by the Castigliano's theorem. | 2 |
| 4 | The construction of the diagrams of shear-force and bending-moment for the cantilever frame | 2 |
| 5 | The construction of the diagrams of shear-force and bending-moment for the simple frame. | 2 |
| 6 | The curveted beam. | 2 |
| 7 | The definitions of the statically indeterminate constructions. | 2 |
| 8 | The application of the Castigliano's theorem to the statically indeterminate constructions. | 4 |
| 9 | The three moment's theorem. | 2 |
| 10 | The application of the Verescagin's rule to the statically indeterminate constructions. | 4 |


| 11 | The calculation of column. | 2 |
| :---: | :--- | :--- |
| 12 | The calculation of beam in the case of at one time action of bending and torsion. | 4 |

6. The independent work themes

| No Theme title | Hour <br> numbers |  |
| :---: | :--- | :---: |
| 3 3 semester |  |  |
| 1 | The calculation of the bar on strength and rigidity. | 4 |
| 2 | The geometric characterizations of the plane cross sections. | 8 |
| 3 | The direct shear stresses. | 2 |
| 4 | The method of calculating the bar on strength and rigidity by torsion. | 6 |
| 5 | The calculation of cantilever beam on the strength by the normal stresses. | 5 |
| 6 | The calculation of simple beam on the strength by the normal stresses. | 5 |
| 4 semester |  |  |
| 1 | The calculation of beam strain by Verescagin's rule. | 2 |
| 2 | The calculation of beam strain by the Castigliano's theorem. | 2 |
| 3 | The curveted beam. | 2 |
| 4 | The application of the Verescagin's rule to the statically indeterminate <br> constructions. | 1 |
| 5 | Analysis of Stress and Strain in the case of the action of compression and <br> bending at one time | 2 |
| 6 | Analysis of Stress and Strain in the case of the action of tension and bending <br> at one time | 2 |
| 7 | Analysis of Stress and Strain in the case of the action of two bending <br> moments at one time, which acting in perpendicular planes | 2 |
| 8 | The calculation method of column. | 2 |

## 7. Test questions and test sets for determine of the level assimilation of knowledge by students.

## Question 1.

|  | The basic objects of subject of mechanics of materials are: |
| :---: | :--- |
| 1. | Bar, rivet, beam |
| 2. | Bar, shaft, beam |
| 3. | Squared beam, shell, array |
| 4. | Screw, key, shaft |

## Question 2.

|  | The basic problem of mechanics of materials consists in: |
| :---: | :--- |
| 1. | determining sizes of detail from conditions of durability |
| 2. | determining mechanics properties of material |
| 3. | calculation stresses by bending |
| 4. | determining sizes of detail from conditions of durability and rigidity |

## Question 3.

|  | Give determination of deformation |
| :---: | :--- |
| 1. | displacement and torsion |
| 2. | change of form and sizes of detail |
| 3. | relative displacement of cross-sections of detail under bending |
| 4. | relative displacement of cross-sections of detail under shear |

## Question 4.

|  | Stresses are |
| :---: | :--- |
| 1. | external force, which loads on the surface of detail |
| 2. | internal force, which loads on unit of area |
| 3. | twisting moment, which shaft loads |
| 4. | bending moment, which beam loads |

## Question 5.

|  | Give the list of simple deformations |
| :---: | :--- |
| 1. | direct shear, torsion, displacement |
| 2. | tension (compression), direct shear, torsion, bending |
| 3. | displacement, bending, direct shear |
| 4. | torsion, displacement, bending, direct shear |

## Question 6.

|  | Hooke's Law by extension has form: |
| :---: | :--- |
| 1. | $\sigma=\mu \cdot E$ |
| 2. | $\tau=j \cdot E$ |
| 3. | $\sigma=\varepsilon \cdot E$ |
| 4. | $\sigma=\frac{M}{W_{y}}$ |

## Question 7.

|  | For the plastic materials the legitimate stresses determine by formula: |
| :---: | :--- |
| 1. | $[\sigma]=\frac{\sigma_{n p}}{k_{n p}}$ |
| 2. | $[\sigma]=\frac{\sigma_{n \pi}}{k_{n \pi}}$ |
| 3. | $[\sigma]=\frac{\sigma_{\text {мu }}}{k_{\text {ми }}}$ |
| 4. | $[\sigma]=\frac{\sigma_{\text {руйн }}}{k_{\text {руйн }}}$ |

## Question 8.

|  | The bar of constant cross section must be loaded by $\ldots \ldots . .$. , this bar will <br> compressed |
| :---: | :--- |
| 1. | twisting moment |
| 2. | bending moment |
| 3. | shearing force |
| 4. | normal force |
| 5. | uniformly distributed loads |

## Question 9.

|  | For the fragile materials the legitimate stresses determine by formula: |
| :---: | :--- |
| 1. | $[\sigma]=\frac{\sigma_{n p}}{k_{n p}}$ |
| 2. | $[\sigma]=\frac{\sigma_{n \pi}}{k_{n \pi}}$ |
| 3. | $[\sigma]=\frac{\sigma_{\text {мu }}}{k_{\text {мu }}}$ |
| 4. | $[\sigma]=\frac{\sigma_{\text {руйн }}}{k_{\text {руйн }}}$ |

## Question 10.

|  | What is bar? |
| :---: | :--- |
| 1. | Squared beam which has one size is biggest than other two and works on <br> tension or compression |
| 2. | Squared beam which has one size is biggest than other two and works on <br> torsion |
| 3. | Squared beam which has one size is biggest than other two and works on <br> bending |
| 4. | The element of construction, which is limited two parallel planes and it has <br> one size is biggest than other two |

## Question 11.

|  | The condition of durability under tension or compression is |
| :---: | :--- |
| 1. | $\sigma_{\max }=\frac{N_{\max }}{A} \leq[\sigma]$ |
| 2. | $\tau_{\max }=\frac{N_{\max }}{A} \leq[\tau]$ |


| 3. | $\sigma_{\max }=\frac{N_{\max }}{A} \geq[\sigma]$ |
| :---: | :--- |
| 4. | $\tau_{\max }=\frac{N_{\max }}{A} \geq[\tau]$ |

## Question 12.

|  | The condition of rigidity under tension or compression is |
| :---: | :--- |
| 1. | $\sigma_{\max }=\frac{N_{\max }}{A} \leq[\sigma]$ |
| 2. | $\tau_{\max }=\frac{N_{\max }}{A} \leq[\tau]$ |
| 3. | $\sigma_{\max }=\frac{N_{\max }}{A} \geq[\sigma]$ |
| 4. | $\tau_{\max }=\frac{N_{\max }}{A} \geq[\tau]$ |
| 5. | $[\Delta l] \leq \Delta l=\Sigma \int \frac{N(x)}{E A(x)}$ |
| 6. | $\Delta l=\Sigma \int \frac{N(x) d x}{E A(x)} \leq[\Delta l]$ |

## Question 13.

|  | The isotropic material is called: |
| :--- | :--- |
|  | Material, points of which have equal properties |
|  | Material, all points of which have equal properties in certain direction |
|  | Material, all points of which have equal properties in arbitrary direction |
|  | Material, all points of which have equal properties in cross direction |

## Question 14.

|  | What diagram of normal force is true? |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{array}{ll}  & \\ 4 \mathrm{~F} & \\ 3 \mathrm{~F} & \square \\ 2 \mathrm{~F} & ! \end{array}$ |  |  |  | $\square$ |  |
|  | 1 | 2 | 3 | 4 | 5 |

## Question 15.

|  | The cross section of bar must satisfy to conditions of durability and <br> rigidity. From the condition of durability the diameter of bar must be <br> equal $\mathbf{3 0} \mathbf{~ m m ~ a n d ~ f r o m ~ c o n d i t i o n ~ o f ~ r i g i d i t y ~ i s ~} \mathbf{5 0} \mathbf{~ m m}$. What size it <br> follows to accept the diameter of bar? |
| :---: | :--- |
| 1. | $\mathrm{~d}=30 \mathrm{~mm}$ |
| 2. | $\mathrm{~d}=50 \mathrm{~mm}$ |
| 3. | $\mathrm{~d}=40 \mathrm{~mm}$ |
| 4. | $\mathrm{~d}=80 \mathrm{~mm}$ |
| 5. | $\mathrm{~d}=60 \mathrm{~mm}$ |

## Question 16.

|  | What does exist connection between the modules $G$ and $E$ ? |
| :---: | :--- |
| 1. | $G=\frac{E}{(1+\mu)}$ |
| 2. | $G=\frac{E}{2(1+\mu)}$ |
| 3. | $G=\frac{2 E}{(1+\mu)}$ |
| 4. | $G=\frac{E}{3(1+\mu)}$ |

## Question 17.

|  | What is loads does create deformation of torsion? |
| :---: | :--- |
| 1. | twisting moment |
| 2. | bending moment |
| 3. | shearing force |
| 4. | normal force |
| 5. | uniformly distributed loads |

Question 18.

|  | The condition of durability of riveting connection looks like on a cut: |
| :--- | :--- |
|  | $\tau_{3 p}=\frac{N}{m n \pi d^{2}} \leq[\tau]$ |
|  | $\tau_{3 p}=\frac{N}{m n \frac{\pi d^{2}}{16}} \leq[\tau]$ |


|  | $\tau_{3 p}=\frac{N}{m n \frac{\pi d^{2}}{4}} \leq[\tau]$ |
| :--- | :--- |
|  | $\tau_{3 p}=\frac{N}{\frac{\pi d^{2}}{4}} \leq[\tau]$ |

## Question 19.

|  | What is shaft? |
| :---: | :--- |
| 1. | Squared beam which has one size is biggest than other two and works on <br> tension or compression |
| 2. | Squared beam which has one size is biggest than other two and works on <br> torsion |
| 3. | Squared beam which has one size is biggest than other two and works on <br> bending |
| 4. | The element of construction, which is limited two parallel planes and it has <br> one size is biggest than other two |

## Question 20.

|  | Hooke's Law of torsion has form: |
| :--- | :--- |
| 1. | $\sigma=E F$ |
| 2. | $\sigma=G \gamma$ |
| 3. | $\tau=E F$ |
| 4. | $\tau=E \varepsilon$ |
| 5. | $\sigma=E l$ |
| 6. | $\tau=G \gamma$ |

## Question 21.

|  | The condition of durability for shaft at twisting is: |
| :---: | :--- |
| 1. | $\tau_{\max }=\frac{M_{K}}{W_{x}} \leq[\tau]$ |
| 2. | $\tau_{\max }=\frac{M_{\kappa}}{W_{y}} \leq[\tau]$ |
| 3. | $\sigma_{\max }=\frac{M_{K}}{W_{x}} \leq[\sigma]$ |
| 4. | $\tau_{\max }=\frac{M_{K}}{W_{\rho}} \leq[\tau]$ |

Question 22.

|  | $\quad$ The angle of twist is calculate by formula: |
| :---: | :--- |
| 1. | $\varphi=\frac{G I_{\rho}}{M_{\kappa} l}$ |
| 2. | $\varphi=\frac{M_{\kappa} l}{G I_{\rho}}$ |
| 3. | $\varphi=\frac{G}{M_{\kappa} l}$ |
| 4. | $\varphi=\frac{P}{G I_{\rho}}$ |

## Question 23.

|  | If diameter round transversal a cut to increase in 2 times, the axial <br> moment of inertia will be increased in: |
| :--- | :--- |
| 1. | 2 times |
| 2. | 4 times |
| 3. | 8 times |
| 4. | 16 times |
| 5. | 32 times |

## Question 24.

|  | The condition of rigidity for shaft at twisting is: |
| :---: | :--- |
| 1. | $\varphi_{\max }=\frac{G I_{\rho}}{M_{\kappa} l} \leq[\varphi]$ |
| 2. | $\varphi_{\max }=\frac{M_{\kappa} l}{G I_{\rho}} \leq[\varphi]$ |
| 3. | $\varphi_{\min }=\frac{G}{M_{\kappa} l} \leq[\varphi]$ |
| 4. | $\varphi_{\min }=\frac{P}{G I_{\rho}} \leq[\varphi]$ |

Question 25.

|  | Why the polar moment of inertia for a circle is equal? |
| :---: | :---: |
| 1. | $I_{\rho}=\frac{\pi d^{2}}{64}$ |


| 2. | $I_{\rho}=\frac{\pi d^{3}}{32}$ |
| :---: | :--- |
| 3. | $I_{\rho}=\frac{\pi d^{4}}{32}$ |
| 4. | $I_{\rho}=\frac{2 \pi d}{64}$ |

Question 26.

|  | Per unity of moments of inertia is: |
| :--- | :--- |
| 1. | $\mathrm{~m}^{4}$ |
| 2. | $\mathrm{~N} \cdot \mathrm{~m}$ |
| 3. | $\mathrm{~m} \cdot \mathrm{c}^{2}$ |
| 4. | $\mathrm{~m}^{3}$ |
| 5. | $\mathrm{~m} \cdot \mathrm{c}$ |

## Question 27.

The coordinates of centroid are calculate by formula:

|  | The coordinates of centroid are calculate by formula: |
| :---: | :--- |
| 1. | $x_{c}=\frac{\sum I_{y}}{\sum I_{x}}, y_{c}=\frac{\sum I_{x}}{\sum I_{y}}$ |
| 2. | $x_{c}=\frac{\sum S_{y}}{\sum S_{x}}, y_{c}=\frac{\sum S_{x}}{\sum S_{y}}$ |
| 3. | $x_{c}=\frac{\sum S_{x}}{\sum A}, y_{c}=\frac{\sum S_{y}}{\sum A} ;$ |
| 4. | $x_{c}=\frac{\sum S_{y}}{\sum A}, y_{c}=\frac{\sum S_{x}}{\sum A}$ |
| 5. | $x_{c}=\frac{\sum S_{x}+S_{y}}{\sum A}, y_{c}=\frac{\sum S_{x}-S_{y}}{\sum A}$ |

## Question 28.

|  | If a rectangle has a height of $h=6$ cm, and width of $b=4$ cm, so <br> maximal axial moment of inertia about central axes of such <br> rectangular cross section is equal: |
| :---: | :--- |
| 1. | $20 \mathrm{~cm}^{4}$ |
| 2. | $36 \mathrm{~cm}^{4}$ |
| 3. | $42 \mathrm{~cm}^{4}$ |
| 4. | $54 \mathrm{~cm}^{4}$ |
| 5. | $72 \mathrm{~cm}^{4}$ |

## Question 29.

|  | What is beam? |
| :---: | :--- |
| 1. | Squared beam which has one size is biggest than other two and works on <br> tension or compression |
| 2. | Squared beam which has one size is biggest than other two and works on <br> torsion |
| 3. | Squared beam which has one size is biggest than other two and works on <br> bending |
| 4. | The element of construction, which is limited two parallel planes and it has <br> one size is biggest than other two |

## Question 30.

|  | How many reactions must be in point of beam, which simply <br> supported? |
| :--- | :--- |
| 1. | two |
| 2. | three |
| 3. | four |
| 4. | five |

## Question 31.

|  | How many reactions must be in point of beam, which rigidly fixed? |
| :--- | :--- |
| 1. | one |
| 2. | two |
| 3. | three |
| 4. | four |
| 5. | five |

## Question 32.

|  | The maximal value of normal stresses at bending of beam is <br> calculated by formula? |
| :---: | :--- |
| 1. | $\sigma_{\max }=\frac{M_{\max }}{W_{y}}$ |
| 2. | $\tau_{\max }=\frac{M_{\min }}{W_{y}}$ |
| 3. | $\sigma_{\max }=\frac{M_{\min }}{W_{x}}$ |
| 4. | $\tau_{\max }=\frac{M_{\max }}{W_{\rho}}$ |

Question 33.

|  | What bendings do arise up in hinge support? |
| :---: | :--- |
| 1. | maximal |
| 2. | zero |
| 3. | minimal |
| 4. | unity |

## Question 34.

|  | What is a formula of calculation shearing stresses at the bend of |
| :---: | :--- |
| beam? |  |$|$| 1. |
| :---: |
| 2. |
| 3. |
| $Q_{x} S(z)$ <br> $I_{y} b$ <br> $M_{x} S(z)$ <br> $I_{y} b$ <br> 4. |

## Question 35.

|  | The differential equation of the deflection curve of a beam has form: |
| :---: | :--- |
| 1. | $E I \frac{d^{3} y}{d x^{3}}=M_{x}$ |
| 2. | $E I \frac{d y}{d x}=M_{x}$ |
| 3. | $E I \frac{d^{3} y}{d x^{2} d z}=M_{x}$ |
| 4. | $E I \frac{d^{2} y}{d x^{2}}=M_{x}$ |
| 5. | $E I \frac{d^{2} y}{d x d z}=M_{x}$ |

## Question 36.

|  | What is basic in Verescagin's rule? |
| :---: | :--- |
| 1. | Integration of diagrams |
| 2. | Differentiation of diagrams |
| 3. | Multiplying of diagrams |
| 4. | Deduction of diagrams |
| 5. | Division of diagrams |

Question 37.

|  | Given beam is: |  |
| :---: | :---: | :---: |
| 1. | one statically indeterminate system |  |
| 2. | two statically indeterminate system |  |
| 3. | three statically indeterminate system |  |
| 4. | statically determinate system |  |

## Question 38.



Question 39.


## Question 40.

|  | Given frame is: |  |  |
| :---: | :---: | :---: | :---: |
| 1. | one statically indeterminate system |  |  |
| 2. | two statically indeterminate system |  |  |
| 3. | three statically indeterminate system |  |  |
| 4. | statically determinate system |  |  |

## 8. Education methods.

1) Verbal:
-Lectures;
2) Visual:
-Slides, video, visual material (perts, charts, stands).
3) Practical:

- Training and factory practices;
- Independent work.


## 9. Forms control.

- indeoendent work;
- module test;
- test;
- examination.
10.Distribution points that receive students. The student evaluation done in accordance with the provision «Про екзамени та заліки у НУБіП України» від 20.02.2015 р. протокол № 6 з табл. 1.

| National estimation | $\begin{array}{\|c\|} \hline \text { Estimation } \\ \text { ECTS } \\ \hline \end{array}$ | Definition of estimation ECTS | Student rating, points |
| :---: | :---: | :---: | :---: |
| Excellent | A | EXCELLENT - excellent performance with few errors | 90-100 |
| Good | B | VERY GOOD - higher middle level with some mistakes | 82-89 |
|  | C | GOOD - generally correct work with a number of few gross errors | 74-81 |
| Satisfactory | D | Satisfactory - not bad but many drawbacks | 64-73 |
|  | E | ENOUGH - implementation satisfies minimum criteria | $60-63$ |
| Unsatisfactorily | FX | UNSATISFACTORILY - need to work before get credit (positive evaluation) | 35-59 |
|  | F | UNSATISFACTORILY - serious further work is needed | 01-34 |

The student rating (listener) of the discipline $\mathbf{R}_{\text {дис ( (up to } 100 \text { points) to determine }}$ as sum rating received at attestation $\mathbf{R}_{\mathbf{A T}}$ (up to 30 points) and the student (listener) rating for educational work $\mathbf{R}_{\mathbf{H P}}$ (up to 70 points):

## 10. Methodical provision <br> - Textbooks and manuals; <br> - ENC Course: Mechanics of Materials and Constructions (nubip.edu.ua)

## 11. Recommended Literature

## - main:

1. Beer F.P., Johnston E.R., et. al.: Mechanics of materials., 8th Edition, Graw - Hill. Inc., 2020. - 896 p.
2. Mechanics of materials: Theory and Problems. Textbook / A. Kutsenko, M. Bondar, V. Pryshliak. -Kyiv, 2018. - 598 p.

## - ancillary:

1. John C.J., Ross C.T.F.: Strength of Materials and Structures. Arnold. - 719 p.
2. R.K. Rajput. A Textbook of Strength of Materials (Mechanics of Solids) in SI Units., 2018-1312p.

## 12. Information Resources

https://www.youtube.com/
https://uk.wikipedia.org/wiki/
http://www.gntb.gov.ua/ua/
http://www.tib.uni-hannover.de/
http://www.bookshop.ua/

